

ECE 207L - FIRST ORDER RC CIRCUITS - LAB 11

TIME CONSTANTS OF FIRST ORDER RC CIRCUITS

FALL 2003

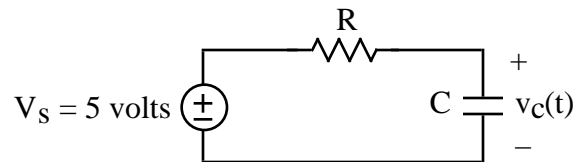
A.P. FELZER

OBJECTIVE

The objective of this lab is to see how the time constant of a first order RC circuit affects its transient and therefore complete response

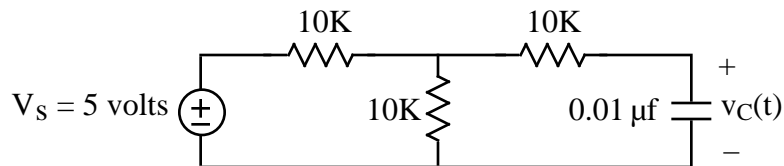
LAB

1. Given a first order RC circuit with a constant (really a pulse train) input as follows



- a. Start with a resistor of value $R = 10K$ and a capacitor of value $C = 0.1 \mu f$ and a pulse train input that is ON and then OFF long enough for the capacitor to "fully charge and discharge". Then describe what you see happening to $v_C(t)$ as R is decreased. Sketch graphs to illustrate. Explain why $v_C(t)$ changes the way it does.
- b. Is the time constant in the circuit in part (a) increasing or decreasing as R is being decreased. How can you tell from what you see happening on the scope
- c. Now start again with a resistor of value $R = 10K$ and a capacitor of value $C = 0.1 \mu f$ and a pulse train input that is ON and then OFF long enough for the capacitor to "fully charge and discharge". But now describe what you see happening to $v_C(t)$ as C is decreased. Sketch graphs to illustrate. Explain why $v_C(t)$ changes the way it does.
- d. Is the time constant in the circuit in part (c) increasing or decreasing as C is being decreased. How can you tell from what you see happening on the scope

2. Given the following first order RC circuit



- a. Make use of what you see on the scope to estimate the steady state value of $v_C(t)$ and the circuit's time constant by measuring $v_C(t_0)$ for some time $t = t_0$ and then calculating from

$$v_C(t_0) = 2.5 - 2.5e^{-t_0/\tau}$$

Draw a graph of $v_C(t)$ that shows the location of your t_0

- b. Calculate the circuit's time constant $\tau = R_{TH}C$ and its steady steady value
- c. Compare your results for τ in parts (a) and (b)